

Binary Search



Time Complexities of BST Operations

The time complexity for all Binary Search Tree operations

be it search operation or Insert Operation or Delete

Operation is $O(h)$ where h is the height of a

Binary Search Tree.

Gate Vidyalay
A Temple of Learning

Thus, In general -

Time Complexity of BST Operations = $O(\text{height})$

Worst Case-

In worst case, the binary search tree is a skewed binary search tree and we have to travel from root to the deepest leaf node.

In that case, the height of the binary search tree becomes n .

Thus,

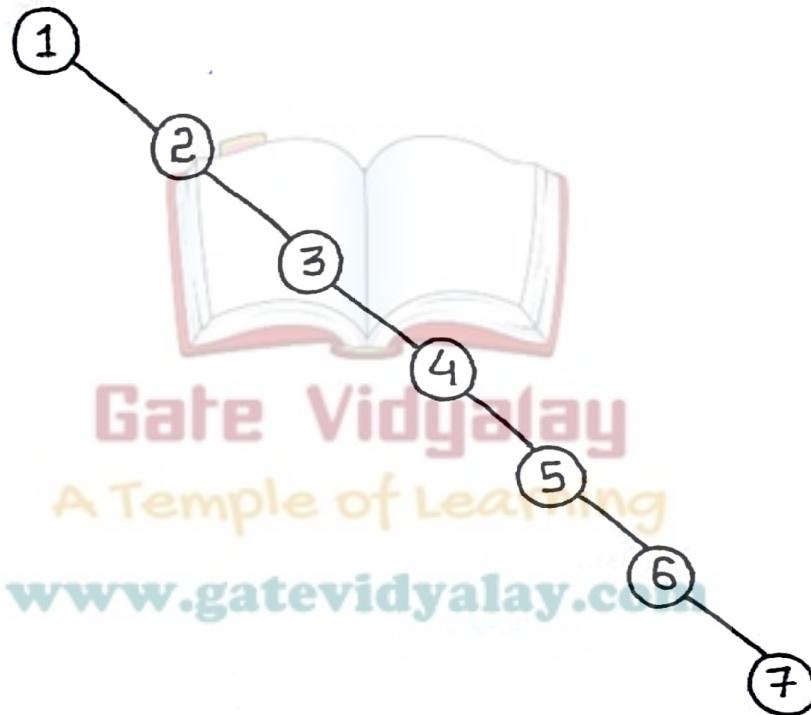
In worst case, Time complexity for BST operations
 $= O(n)$

In this case, BST is as good as unordered list with no benefits.



Binary Search Tree in Worst Case -

Example -



Skewed Binary Search Tree

Best Case -

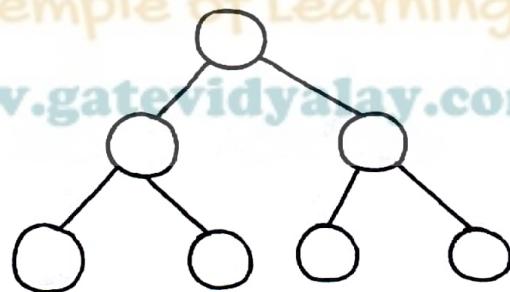
In best case, the binary search tree is a balanced

binary search tree with height $\log n$

Thus,

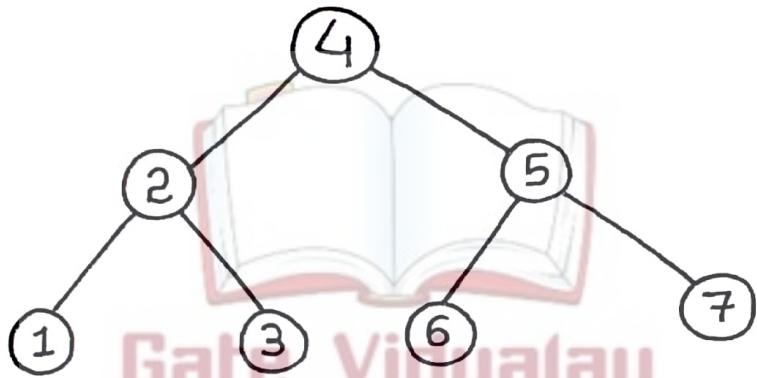
In Best Case, Time Complexity of BST Operations
= $O(\log n)$

GateVidyalay
A Temple of Learning
www.gatevidyalay.com



Binary Search Tree in Best Case -

Example -



Balanced Binary Search Tree

www.gatevidyalay.com